#### CYLINDRICAL MICROWAVE IMAGING SYSTEM

M. Ferrando, L. Jofre, A. Broquetas E. Reyes, A. Cardama, A. Elias E.T.S.I. Telecomunicación Apdo. 30002, 08080-Barcelona ,Spain

## I. INTRODUCTION.

The potential use of linear and planar imaging systems  $\,$  for non invasive permittivity measurements has been proved in the past ,|1|

A cylindrical system for microwave tomography working at 2.45 GHz has been presented |2|; in this set-up, the body, immersed in water, is illuminated whith a cylindrical wave and the measured scattered fields are processed by an algorithm for cylindrical geometries |3|,|4|. Temperature and permitivity measurementes were made using this system |5|.

In this paper we present the numerical simulations for different parameters and the last experimental images of biological bodies obtained with the system.

## II. THEORY

The imaging algorithm is based in the Born assumption, the field distribution in the object is supossed to be similar to the incident field. The object is illuminated by a set of cylindrical waves and the scattered fields are measured with a set of antennas located in a circle.

The relationship between the total field ,  $\forall$  ( $\vec{r}$ ), and the scattering object  $\mathcal{E}(\vec{r})$  is given by the inhomogeneous Helmholtz equation.

$$(\nabla^2 + k^2) \psi(\vec{r}) = k^2 (1 - \frac{\varepsilon(\vec{r})}{\varepsilon}) \psi(\vec{r})$$
 [1]

Under the assumption of weak scattering, the right-hand of [1] can be replaced by the incident field.

The reconstruction expression is:

$$f\left(m,m_{O}\right)=j\omega\mu_{O}\ R^{2}(\frac{2\pi}{N})\sum_{n=_{O}}^{N}\sum_{n=_{O}}^{N}\psi^{S}\left(n,n_{O}\right)I\left(m-n\right)I\left(m_{O}-n_{O}\right)[2]$$

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Where  $f(m;m_O)$  is the Discrete Fourier Transform of the object, evaluated over circles as shown in fig.1;  $\psi^S(n;n_O)$  is the scattered field, when transmiting with antenna n and receiving with n . I(m-n) and I(m\_O-n\_O) are the weigths for the synthesis of the plane waves in transmission and reception.

The impulsional response, uniformity of the reconstruction and resolution for a circular array of 64 antennas in a lossy medium is shown in fig. 2. For a region of r =  $5\lambda$ , the dynamic range is 35 dB, and the resolution is  $0.5\lambda$ .

# III EXPERIMENTAL RESULTS

The block diagram of the system is shown in the fig. 3. The object under test is immersed in a cylindrical water tank surrounded by the circular array antenna. This array consist of a 20 cm diameter circular horn, fed by 64 guides, where each one can work in emission and reception controlled by two sets of RF multiplexers. A low frecuency modulation is used to mark the emitter and receiver guides and to improve the sensitivity with a final coherent detection.

A C.W. signal is provided by an oscillator, followed by an 1 watt amplifier. The incident power density on the object is smaller than 0.1 mw/cm2. In the receiver chain, a low-noise amplifier followed by a RF coherent detector are used.

Data acquisition, image reconstruction and representation are done with a HP 9000 model 320 computer whith high-resolution colour display. The total time is shorter than one minute.

Fig. 4 shows the tomographics reconstructions for a human arm and a cut of the five fingers.

#### V REFERENCES

|1|.- C. Pichot, L. Jofre, G. Peronnet, J.C. Bolomey, "Active microwave imaging of inhomogeneous bodies", IEEE Trans. AP-S, April 1985,pp 416-425

|2|.- L.Jofre et al. "A cylindrical system for quasi-real time microwave tomography", 16th EuMc, Dublin, pp 599-604, Sept 1986.

|3|.- A.J. Devaney, G. Beylkin, "Difraction tomography using arbitrary transmitter and receiver surfaces", Ultrason. Imaging, 1984,6,pp 181-193

|4|.- J. M. Rius ,M. Ferrando et al ,"Microwave tomography, an algorithm for cylindrical geometries". Electronic Letters, vol 23, No 11, pp 564-565, May 1987

|5|.- A. Broquetas et al. "Temperature and permitivity measurements using a cylindrical microwave imaging system", 17th EuMc, Rome, pp 892-895, Sept 1987

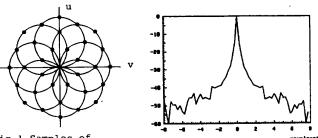


Fig.1 Samples of  $F(1-\frac{\varepsilon(\overset{\rightarrow}{r})}{\varepsilon})$ 

Fig.2a Impulse response

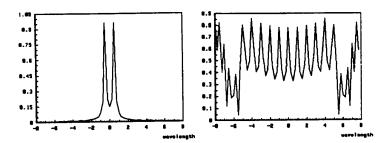
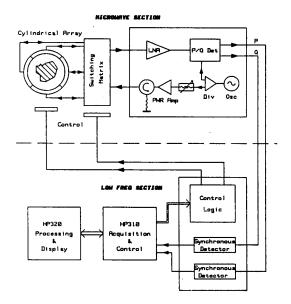


Fig. 2b Resolution: 2 dielectric cylinders spaced  $1\lambda$ 

Fig. 3b Uniformity of the reconstruction (11 cylinders placed  $1\lambda$  apart.)



 $\mathrm{f}^{\star}\mathrm{i}\mathrm{q}_{\star}$  3 Block diagram of the cylindrical microwave imaging system.



Fig. 4 Tomographic Images: five fingers and human harm.