First Dual-Band Multiconstellation GNSS-R Scatterometry Experiment Over Boreal Forests From a Stratospheric Balloon

Hugo Carreno-Luengo, Member, IEEE, and Adriano Camps, Fellow, IEEE

Abstract—This work presents the first ever dual-frequency multiconstellation Reflectometry using Global Navigation Satellite Systems signals (GNSS-R) observations over boreal forests and lakes using GPS, GLONASS, and Galileo signals. The instrument used is the PYCARO reflectometer, which flew on-board a stratospheric balloon during the SNSB and ESA sponsored BEXUS 19 experiment. The coherent-to-incoherent scattering ratio over boreal forests is found to be as large as $\sim 1.5$, while over lakes, it is as high as $16.5$. The scatterers’ height fluctuations measured using the phase of the peak of the reflected complex waveforms ranges from $\pm 10$ m, to the submetric level. Finally, reflectivity maps using the different GNSS codes are presented using the conventional GNSS-R for the open-access codes, and the reconstructed GNSS-R for the encrypted ones. The coherence of the reflected signal is found to be high enough to allow the PYCARO instrument to reconstruct the P(Y) code.


I. INTRODUCTION

REFLECTOMETRY using Global Navigation Satellite Systems signals (GNSS-R) is a promising new remote sensing technique. It was originally proposed to improve the temporal resolution of classical space-borne ocean nadir-looking altimeters so as to detect mesoscale signatures [1]. Wind speed measurements [2], ice altimetry [3], soil moisture, and vegetation determination [4] can also be inferred using GNSS-R. Several experiments have been carried out in the last years to analyze the performance of different GNSS-R techniques: conventional GNSS-R or cGNSS-R (GPS L1 CA) (e.g., [5]), interferometric GNSS-R or iGNSS-R (GPS L1 CA, P(Y), and M) [6], and reconstructed-code GNSS-R or rGNSS-R (GPS L1&L2 P(Y)) [7]. More recently, two ground-based low-altitude experiments using the Galileo E1/E5a/E5b signals [8], and the GLONASS L1 composite signal [9] have been performed over a lake and from a pier over the North Sea, respectively.

Boreal forests cover $\sim 15\%$ of Earth’s land surface. Mapping boreal biomass is a key factor to study the carbon cycle. European Space Agency ESA’s BIOMASS mission for example will focus in this variable using a P-band SAR (e.g., [10]). Some studies have shown the potential of GNSS-R to measure forest biomass [11]. At present, United Kingdom UK TechDemoSat-1 [12], National Aeronautics and Space Administration NASA’s CYGNSS mission [13], European Space Agency ESA’s GNSS rEreflectometry, Radio Occultation and Scatterometry experiment on-board the International Space Station (GEROS-ISS) [14], ESA’s Passive Reflectometry and Interferometry System In-Orbit Demonstrator (PARIS-IoD) [15], and 3Cat-2 6U CubeSat [16] include GNSS-R payloads.

A scattering model considering both the coherent and incoherent scattered fields was proposed in [11]. This model predicts the coherent field as the result of the electromagnetic interactions of the GNSS signals with the soil only, attenuated by the vegetation canopy above it. In [17], experimental data over forest biomass from 100 to 350 t/ha using GPS signals was reported. As predicted in [11], a lower value of the coherent soil-reflectivity is found for larger vegetation density. The coherent scattering over a rough soil including antenna pattern effects was studied in [18], and applied later to the GNSS-R case for vegetation-covered soils [19]. More recently, a different approach has been proposed that states that the forward scattering coefficient is governed by the scattering properties of the vegetation elements and the soil surface, as well as by the interaction between the canopy and the soil, and the soil with the trunks [20].

In 1999, the first GNSS-R stratospheric balloon experiment was performed over sea surface [21]. This work presents the first GNSS-R dual-frequency (L1 and L2), multiconstellation (GPS and GLONASS, and for E1 Galileo) observations over boreal forests, from a stratospheric balloon using the P(Y) and C/A ReflectOmeter (PYCARO) in closed-loop mode. The study is performed using data from the float phase of the flight ($h \sim 27,000$ m) and with GNSS satellites at a high elevation angle in the range $\theta_e = [45^\circ, 70^\circ]$. Section II describes the setup used in this experiment carried out North of Sweden on October 8, 2014 on-board the Swedish National Space Board (SNSB) and ESA sponsored...
Balloon Experiments for University Students (BEXUS) 19 stratospheric balloon. Section III describes the theoretical framework. Section IV describes the experimental results. Finally, Section V summarizes the main results of this study.

II. Experimental Setup

The BEXUS programme is implemented under a bilateral agency agreement between the German Aerospace Center (DLR) and the SNSB. The BEXUS 19 stratospheric balloon (Fig. 1) launch campaign took place in Esrange Space Center from October 3 to 13, 2014. The launch took place on October 8, 2014 at 18 h (GPS Time), and the flight duration was 4 h with an apogee of \( \sim 27,000 \) m. The trajectory was a single track from Esrange Space Center (latitude 67° 53′ N, longitude 21° 04′ E) to the Finland Lapland (latitude 68° 04′ N, longitude 25° 81′ E) over boreal forests with a density \( \sim 100 \) t/ha, and a tree height of \( \sim 20 \) m [22],[23].

The experimental setup was composed of the PYCARO rGNSS-R instrument [7], both a dual-band (L1, L2) and dual-polarization1 (right- and left-hand circular polarization: RHCP, LHCP) zenith-looking patch antenna to collect the direct GNSS signals, and a nadir-looking antenna array to collect the Earth-reflected signals (Fig. 2), an On-Board Computer (OBC) for the experiment management, and an active thermal control, since the outside temperature went down to \(-70^\circ\)C. The nadir-looking antenna was composed of six elementary antenna patches (Fig. 2). The total gain of the antenna was 12.9 dB at L1-LHCP, 13.3 dB at L1-RHCP, 11.6 dB at L2-LHCP, and 11.6 dB at L2-RHCP. The On-Board Data Handling (OBDH) subsystem was composed of a Commercial Off-The-Shelf (COTS) microcontroller for housekeeping and scientific data storage, communications with the ground station, and data storage in a micro-SD. The collected data were registered in two internal SD memories (PYCARO and microcontroller), and they were simultaneously sent to the ground segment via the E-Link system [24].

1In this study, only left-hand circular polarization (LHCP) reflected signals are evaluated.

III. Theoretical Framework

The GNSS-reflectometer used is the PYCARO instrument operated in closed-loop mode with delay and phase tracking loops activated that uses the cGNSS-R technique for the open-access codes, and the rGNSS-R one for the encrypted codes. The complex cross-correlation waveform of the direct signal is proportional to the electromagnetic field reaching the instrument as [25]

\[
Y_d(\tau, f_c) \propto T_c \cdot WAF(\tau, f_c) \\
\approx T_c \cdot ACF(\tau) \frac{\sin(\pi f_c T_c)}{\pi f_c T_c} e^{-j\pi f_c T_c}
\]

where \( \tau \) is the delay of the signal from the transmitter to the receiver, \( f_c \) is the carrier frequency of the direct electromagnetic signal, \( T_c \) is the coherent integration time, \( WAF \) is the well-known Woodward ambiguity function, \( ACF(\tau) \) is the autocorrelation function of the code, and \( j = \sqrt{-1} \) is the imaginary unit.

The complex waveform associated to the field scattered by an ensemble of scatterers such as soil, and trunks, branches, and leaves of a forest will consist of the sum of a finite number of \( WAF \)’s each one affected by a complex weight \( \left( a_m = |a_m| e^{j\phi_m} \right) \) that accounts for the scattering amplitude of the electromagnetic field, delayed by a delay \( \delta \tau_m \) and affected by a Doppler shift \( \delta f_m \)

\[
Y_r(\tau, f_c, \delta \tau_m) = T_c \sum_{m=1}^{M} |a_m| e^{j\phi_m} \\
WAF(\tau + \delta \tau_m, f_c, \delta f_m) \approx T_c \sum_{m=1}^{M} |a_m| e^{j\phi_m} \\
ACF(\tau + \delta \tau_m) \frac{\sin(\pi (f_c, \delta f_m) T_c)}{\pi (f_c, \delta f_m) T_c} e^{-j\pi (f_c, \delta f_m + \delta f_m) T_c}
\]

where \( f_{c,\delta} \) is the Doppler shift of the electromagnetic signal reflected at the nominal specular point. Actually, (2) can be understood as the discrete version of the integrated form in [26].
TABLE I
AMOUNT OF COHERENT AND INCOHERENT SCATTERING, REFLECTED PHASE OSCILLATIONS SD OVER BOREAL FORESTS AND LAKES AS A FUNCTION OF THE ELEVATION ANGLE FOR: GPS, GLONASS, AND GALILEO SIGNALS AT A FLIGHT HEIGHT OF $h \sim 27,000$ m

<table>
<thead>
<tr>
<th></th>
<th>L1 C/A FORESTS</th>
<th>L2 C FORESTS</th>
<th>L1 C/A LAKES</th>
<th>L2 C LAKES</th>
</tr>
</thead>
<tbody>
<tr>
<td>GPS, $h \approx 27,000$ m, $\theta_e = [45^\circ, 70^\circ]$</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Coherent scattering:</td>
<td>$</td>
<td>Y_{r, peak}</td>
<td>^2$ (A.U.)</td>
<td>33,782</td>
</tr>
<tr>
<td>Incoherent scattering:</td>
<td>$\sigma_{Y_{r, peak}}^2 + \sigma_{\epsilon r, peak}^2$ (A.U.)</td>
<td>16,888+4178</td>
<td>3102+622</td>
<td>32,569+15,363</td>
</tr>
<tr>
<td>Ratio $B^2$</td>
<td>1.6</td>
<td>1.6</td>
<td>4.1</td>
<td>7.9</td>
</tr>
<tr>
<td>Reflected phase oscillations std. (degrees)</td>
<td>30</td>
<td>27</td>
<td>20.7</td>
<td>12.5</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>L1 C/A FORESTS</th>
<th>L2 C FORESTS</th>
<th>L1 C/A LAKES</th>
<th>L2 C LAKES</th>
</tr>
</thead>
<tbody>
<tr>
<td>GLONASS, $h \approx 27,000$ m, $\theta_e = [45^\circ, 70^\circ]$</td>
<td>N.A.</td>
<td>N.A.</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Coherent scattering:</td>
<td>$</td>
<td>Y_{r, peak}</td>
<td>^2$ (A.U.)</td>
<td>x</td>
</tr>
<tr>
<td>Incoherent scattering:</td>
<td>$\sigma_{Y_{r, peak}}^2 + \sigma_{\epsilon r, peak}^2$ (A.U.)</td>
<td>x</td>
<td>4610+1686</td>
<td>x</td>
</tr>
<tr>
<td>Ratio $B^2$</td>
<td>x</td>
<td>1.5</td>
<td>x</td>
<td>3.9</td>
</tr>
<tr>
<td>Reflected phase oscillations std. (degrees)</td>
<td>x</td>
<td>35</td>
<td>x</td>
<td>19.8</td>
</tr>
</tbody>
</table>

|     | E1 BC FORESTS | E1 BC LAKES | | |
|-----|---------------|-------------| |
| Galileo, $h \approx 27,000$ m, $\theta_e = [60^\circ, 70^\circ]$ | N.A. | N.A. | |
| Coherent scattering: | $|Y_{r, peak}|^2$ (A.U.) | 3434 | x | 68,069 | x |
| Incoherent scattering: | $\sigma_{Y_{r, peak}}^2 + \sigma_{\epsilon r, peak}^2$ (A.U.) | 1208+423 | x | 3477+658 | x |
| Ratio $B^2$ | 2.1 | x | 16.5 | x |
| Reflected phase oscillations std. (degrees) | 28.2 | x | 5.7 | x |

A detailed analysis of the cross-correlation properties ($ACF$) of different navigation signals is provided in [27]. The phase difference before retracking ($\delta \Psi_n$) between the peak amplitude of the direct and the reflected waveforms at time $t_n$ is used to infer the geometric delay $\rho_{geo,n}$ as

$$\rho_{geo,n} = \frac{\lambda \delta \Psi_n}{2\pi}$$

where $\lambda$ is the signal wavelength. Height changes $\delta h_n$ of the center of phase of the scatterers (soil, trunks, branches, and leaves) that contribute to the peak of the amplitude of the complex reflected waveform $Y_{r,peak}(t_{Peak}, f_{c,Peak})$ are related to the difference of the geometric delays $\delta \rho_{geo,n}$ between two consecutive samples as [28]

$$\delta h_n = \frac{\delta \rho_{geo,n}}{2 \sin \theta_e} = \frac{\rho_{geo,n} - \rho_{geo,n-1}}{2 \sin \theta_e}$$

where $\theta_e$ is the elevation angle. Finally, since we are using differential measurements with a period defined by the coherent integration time of the waveforms ($T_c$), the phase delays introduced by the atmosphere are implicitly cancelled out because they can be assumed to be constant during these short periods of time.

GPS satellites’ motion and receiver’s motion as well induce a change in the delay, and the phase difference of the waveforms.

2Precise flight trajectory provided by Swedish Space Corporation (SSC) computed using a GPS receiver on-board the balloon, and small platform height variations were compensated for. Vertical speed of the balloon during the float phase was smaller than 1 m/s, which prevented phase jumps.

TABLE II
OPTIMUM DELAY AND PHASE LOCKED LOOP PARAMETERS USED DURING THE FLOAT PHASE OF THE EXPERIMENT FOR GPS [29], GLONASS [30], [31], AND GALILEO SIGNALS [32]

<table>
<thead>
<tr>
<th>GNSS code</th>
<th>$T_c^{PLL}$ (ms)</th>
<th>$B_{PLL}$ (Hz)</th>
<th>$T_c^{DLL}$ (ms)</th>
<th>$N_{PLL}$ (complex waveforms)</th>
<th>$B_{DLL}$ (Hz)</th>
</tr>
</thead>
<tbody>
<tr>
<td>GPS L1 C/A</td>
<td>10</td>
<td>15</td>
<td>20</td>
<td>1</td>
<td>0.01</td>
</tr>
<tr>
<td>GPS L2 C [29]</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>GPS L2 P(Y)</td>
<td>10</td>
<td>15</td>
<td>20</td>
<td>1</td>
<td>0.01</td>
</tr>
<tr>
<td>GPS L1 P(Y)</td>
<td>10</td>
<td>15</td>
<td>20</td>
<td>1</td>
<td>0.01</td>
</tr>
<tr>
<td>GLONASS L1 C/A [31]</td>
<td>10</td>
<td>15</td>
<td>10</td>
<td>2</td>
<td>0.01</td>
</tr>
<tr>
<td>GLONASS L2 [30]</td>
<td>10</td>
<td>15</td>
<td>10</td>
<td>2</td>
<td>0.01</td>
</tr>
<tr>
<td>GLONASS L2 P [32]</td>
<td>4</td>
<td>15</td>
<td>4</td>
<td>5</td>
<td>0.01</td>
</tr>
</tbody>
</table>

The PYCARO reflectometer compensates these changes to perform the coherent and incoherent averaging. In addition to the phase of the peak of the reflected waveforms before retracking $Y_{r}(t_{peak}, f_{c,peak})$, one important scientific observable is the phase $\Omega_n$ of the peak of the complex reflected waveforms after being retracked, to center the tracking delay and Doppler windows.
and (f) lakes, and Galileo E1 BC boreal forests (g) and lakes (h).

The total scattered fields during the float phase corresponding to GPS [Fig. 3(a), and (c)-forests and 3(b), and (d)-lakes], GLONASS [Fig. 3(e)-forests and 3(f)-lakes], and Galileo [Fig. 3(g)-forests and 3(h)-lakes] are represented in the complex plane for elevation angles in the range $\theta_e = [45^\circ, 70^\circ]$. Fig. 3(a), (b), (e), and (f), there are two regions displaced by $\pm |\langle Y_{r,Peak}\rangle|$ (mean of the amplitude distribution) from the center of the complex plane for both the GPS L1 C/A and GLONASS L2 C/A signals, because of the phase changes associated to the navigation bit. GPS L2 C [Fig. 3(c) and (d)] and Galileo E1 BC [Fig. 3(g) and (h)] are the so-called data-less channels or pilot channels. The tracking of the code is done coherently because no data bit is present. The complex plane representation is then centered in a region displaced $+|\langle Y_{r,Peak}\rangle|$ from the center. These I/Q scatter plots show how the behavior changes depending on the scattering surface: from poorly coherent over boreal forests, to highly coherent over lakes. The relative weight of the coherent-to-incoherent components is quantified by the following ratio [33, pp. 126]:

$$B^2 = \frac{\left|\langle Y_{r,Peak}\rangle\right|^2}{\sigma_{\text{Real}}^2(Y_{r,Peak}) + \sigma_{\text{Im}}^2(Y_{r,Peak})} \quad (5)$$

where $|\langle Y_{r,Peak}\rangle|^2$ is the mean of the power distribution, and $\sigma_{\text{Real}}^2(Y_{r,Peak})$ and $\sigma_{\text{Im}}^2(Y_{r,Peak})$ are the variances of the real and imaginary components of the complex cross-correlation waveforms peak after retracking. Note that $B$ tends to $\infty$ for a totally coherent field, and it is equal to 0 for a totally incoherent field. If the scatter plot was centered around (0, 0), the scattering would be completely incoherent. However, the scattered field is clearly displaced from the origin by a value equal to the mean of the amplitude distribution.

Over boreal forests, the ratio $B^2$ (Table I) shows the presence of a coherent component which is $B^2 \approx 1.5$ for GPS and GLONASS signals for elevation angles in the range $\theta_e = [45^\circ, 70^\circ]$, and it is $\sim 2.1$ for Galileo signals for elevation angles in the range $\theta_e = [60^\circ, 70^\circ]$. This value is slightly different for the different codes because of the different scattering properties of the forested areas at the time of signal acquisition (different tracks and time periods), and slightly different elevation angles. On the other side, over lakes the ratio $B^2$ is much higher, up to 16.5 for Galileo signals, and in the range $[3.9, 7.9]$ for GPS and GLONASS. Additionally, the standard deviation of the phase at the peak of the complex waveforms after retracking is in the range $[27^\circ, 35^\circ]$ over boreal forests, and $[5.7^\circ, 20.7^\circ]$ over lakes. This value (Table I) is lower at L2 as compared to the L1 measurements (up $\sim 3^\circ$ for GPS L1 C/A over forests and up $\sim 8^\circ$ for GPS L2 C over lakes). One reason is that the effective roughness is lower, as the signal wavelength is larger ($\lambda_{L1} = 19$ cm and $\lambda_{L2} = 24$ cm). The amount of Galileo signals collected along the flight were significant lower than the GPS and GLONASS ones, due to the lesser number of satellites, and to the fact that the CBOC modulation and the steeper
ACF translate into a higher filtering of the coherent scattered signals and a lower signal-to-noise ratio (SNR).

### B. Scattering Properties Over Boreal Forests

The coherent scattering over boreal forests (soil, trunks, branches, and leaves) is now studied using the signatures in the phase $\Psi_n$ of the peak of the complex waveforms before retracking ($Y_{r,\text{Peak}}$). The information contained in the unwrapped phase is translated into height fluctuations of the scatterers using (4). The distributions of these height and post-coherent-correlation SNR fluctuations over boreal forests are represented for the different signals: GPS L1 C/A [Fig. 4(a) and (b)], GPS L2 C [Fig. 4(c) and (d)], GLONASS L2 C/A [Fig. 4(e) and (f)], and Galileo E1 BC [Fig. 4(g) and (h)]. The SNR decreases with increasing values of the receiver bandwidth (4 MHz GPS L1 C/A, 6 MHz GPS L2 C, 19 MHz GLONASS L2 C/A, and 24 MHz Galileo E1 BC). For GPS and GLONASS, the maximum value of the estimated SNR is $\sim 39\,\text{dB}$ for GPS L1 C/A, $\sim 32\,\text{dB}$ for GPS L2 C, and $\sim 26\,\text{dB}$ for GLONASS L2 C/A, and the variation is in a range of $\sim [24, 27]\,\text{dB}$ which can be attributed to the different ground-tracks of the specular reflection points. The height fluctuations exhibit a multimodal behavior and are as high as $\pm 10\,\text{m}$ for GPS and GLONASS. However, for the Galileo signals, due to the larger bandwidth and the lower SNR (SNR $< 14\,\text{dB}$) only the strongest reflections are tracked, those coming from the soil, so height fluctuations are usually much smaller ($\sim 0.5\,\text{m}$) except for a peak of $\sim -7\,\text{m}$. These empirical results suggest that coherent scattering is taking place not only over the soil (higher SNR because of the higher reflectivity, and lower height dispersion), but also over the trees which produces a multimodal behavior with clearly differentiated levels of SNR which may include multiple reflections involving canopy and soil as suggested in [34].

### C. Reflectivity Maps

The cross-polar reflectivity $\Gamma_{rl}$ is estimated as the ratio of the reflected $\left(Y^\text{LHCP}_{r,\text{Peak}}\right)$ and direct $\left(Y^\text{RHCP}_{d,\text{Peak}}\right)$ power waveforms peaks, after proper compensation of the noise power floor and the antenna gains (nadir and zenith-looking) as a function of the elevation angle

$$\Gamma_{rl} = \frac{\left|Y^\text{LHCP}_{r,\text{Peak}}\right|^2}{\left|Y^\text{RHCP}_{d,\text{Peak}}\right|^2}.$$  

In (6), superscripts RHCP and LHCP denote the incident polarization (RHCP), and the scattered polarization (LHCP), respectively. The correlation parameters in the computation of the waveforms are important for the evaluation.
Fig. 5. Cross-polar reflectivity maps (LHCP-reflected) geolocated over the nominal specular points over boreal forests and lakes for GPS signals. (a) L1 C/A. (b) L2 C. (c) L1 P(Y). (d) L2 P(Y).

of the results. The DLL and the PLL coherent integration times \(T_{\text{DLL}}\) and \(T_{\text{PLL}}\), the number of incoherent averaging samples \(N_{\text{inc}}\), and the DLL and PLL bandwidths \(B_{\text{DLL}}\) and \(B_{\text{PLL}}\) are included in Table II. The PLL coherent integration time was set to be 10 ms for all the codes,\(^4\) and the \(B_{\text{PLL}} = 15\) Hz to tolerate abrupt phase changes due to the scattering process over boreal forests. The DLL coherent integration time \(T_{\text{DLL}}\) was set to be equal to the navigation data bit period for each code [29]–[32] because during the experiment preparation activities, it was determined that the SNR increased as a function of the coherent integration time up to 13 dB for \(T_{\text{DLL}} = 20\) ms. The DLL optimum bandwidth was set empirically during the experiment to be \(B_{\text{DLL}} = 0.01\) Hz.

\(^4\)GLONASS L2 P [30] and Galileo E1 BC [32] codes where limited by their navigation data bit period (4 ms).
to stabilize the frequency after getting locked. After the estimation of the reflectivity values, the specular points were geolocalized over Google Maps for the sake of a simpler data interpretation. The orbit parameters of the GNSS satellites were obtained from the ephemerides as provided by an on-board positioning receiver, while the PYCARO trajectory was determined using the on-board receiver. Before the evaluation of the results, some theoretical considerations about the reflectivity estimation algorithms are commented. The reflectivity values as estimated using (6) introduce a dependency with the platform height through the $WAF$ in $Y_{r,Peak}$ (2), due to the different sizes of the scattering area, which is translated into different power levels of the reflected signals [35]. For the flight conditions ($h \sim 27,000$ m and scattering over land surfaces), the Earth region contributing to the incoherent component is inside the first chip isodelay ellipse which is a function of the...
of the different GNSS codes. On the other side, the area contributing to the coherent component is limited by the first Fresnel zone, which actually depends on the signal wavelength. These values are summarized in Table III.

Figs. 5 and 6 show the reflectivity values using GPS, GLONASS, and Galileo signals. cGNSS-R was used for computation of the waveforms using GPS L1 C/A [Fig. 5(a)], GPS L2 C [Fig. 5(b)], GLONASS L1 C/A [Fig. 6(a)], GLONASS L2 C/A [Fig. 6(b)], GLONASS L2 P [Fig. 6(c)], and Galileo E1 BC [Fig. 6(d)], while rGNSS-R for GPS L1 P(Y) and L2 P(Y) [Fig. 5(c) and (d)]. The reflectivity values are as high as −2 dB over lakes. On the other side, they show large fluctuations from −3 to −25 dB, over boreal forests. Note that over flat freshwater surfaces the reflectivity values (∼−2 dB) agree with the expected Fresnel reflectivity (∼0.64), while, over forests reflectivity values are much lower. When using cGNSS-R, the reflectivity shows a similar behavior for the different codes of each GNSS system. The coherent component, the one actually tracked by PYCARO, is coming from an area equal to the first Fresnel zone. Therefore, although the WAF spreads the signal over areas of different size, $\Gamma_{\text{cl}}$ follows the same trend independently of the code and the signal wavelength. Finally, the rGNSS-R is evaluated successfully for first time over forested areas, despite the high dispersion of the signal induced by the scattering media. Reflectivity values are ∼10 dB below those obtained by cGNSS-R because of the squaring losses of the P(Y) code correlation technique implemented in PYCARO, which exhibits a nonlinear dependence with the SNR of the incoming signal [7]: the lower the SNR, the larger the squaring losses [36].

V. SUMMARY AND CONCLUSION

This work has presented the first dual-frequency GNSS-R observations using GPS, GLONASS, and Galileo E1 BC signals, collected from a stratospheric balloon experiment performed North of Sweden using the PYCARO reflectometer. LHCP reflected signals were collected with an antenna array of −13 dB gain at L1 and −12 dB gain at L2. Results show the feasibility of tracking the coherent component of the scattering over boreal forests and lakes even from high altitude platforms. The coherent-to-incoherent ratio of the scattered signals for high elevation angles $\theta_e = [45^\circ, 70^\circ]$ is found to be ∼1.5 over boreal forests, while over lakes, it is in the range [3.9, 7.9] for GPS and GLONASS, and it is high up to 16.5 for Galileo signals. The height distribution of the scatterers has been derived from the fluctuations of the phase of the complex waveforms peak, which range from ±10 m to the sub-meter level. Reflectivity values are highly variable from −3 to −25 dB, as derived using cGNSS-R. Reflectivity maps derived from the different codes of each GNSS system are highly similar despite the different power spreading over the scattering media induced by the different $ACF$s. Actually, the coherent component provides the highest power contribution to the peak of the complex waveforms. As a consequence, the fluctuations of the signal power depend only on an area equal to the first Fresnel zone for a rough scattering media. Additionally, the rGNSS-R technique has been successfully tested. PYCARO was able to reconstruct the GPS P(Y) code despite the large dispersion of the signal after the scattering over the boreal forests. As a main conclusion, the analysis of GNSS-R complex waveforms shows a coherent multimodal contribution after the signal scattering over forested regions. The performance of GNSS-R in terms of spatiotemporal sampling will benefit when future GNSS constellations will be fully operational. Geophysical parameters retrieval over high latitude targets (in particular, biomass monitoring) will take advantage of the highest orbital inclination of the navigation system.

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